

Scripting Tutorial – Lesson 9: Graphical Shape Numbers

[Download supporting files for this tutorial](#)

[Texas Instruments TI-Nspire Scripting Support Page](#)

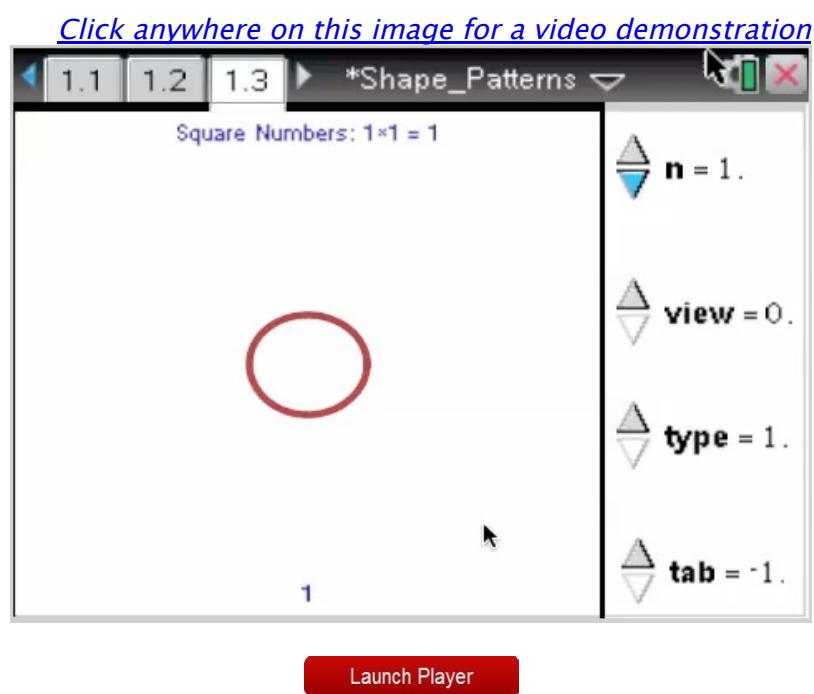
It is time to try and put together everything that we have learned so far. In this lesson and [lesson 10](#) we will use Lua's graphic commands along with many of the enhancements we have learned to create documents that are both useful, clear and easy to use. We will begin with the graphical display of shape numbers – square, rectangular and triangular numbers.

Take a moment to watch the accompanying movie and then have a play with this document using the Player to get a feel for the possibilities and for some of the design choices that have been made. For example, while it is great to use arrow keys and enter, escape and even tab keys

to make control by both computer and handheld easy, if we want our documents to be usable with the Player then it is worth leaving in the sliders.

In the example shown, pressing up and down arrows controls the value of n , increasing and decreasing the number being studied. Left and right arrows show the three options – square, rectangular and triangular numbers.

Pressing enter shows different views – the shape created using circles, with a border, and using squares. finally, pressing the tab key steps through the building up of that pattern, making it easy to see the relationships involved –



square numbers are the sums of odd numbers, rectangular numbers the sum of even numbers, and because every rectangle is double the corresponding triangle, the triangular numbers are built by adding the counting numbers. Pressing escape takes you back through this progression.

Lesson 9.1: Building a Grid Pattern

We will begin by using `drawLine` to create a square grid corresponding to the current value of `n`. But first, some practical considerations – plan your design and layout! We would like our grid to lie centered on the page. We know how to do that. But we would also like it if the

size of our grid remained within the visible page, with a bit of white space around it. So we could divide the width and height of the page up by the value of **n** (and a bit more for white space). Will also need a slider for **n** (and more sliders to follow!). So set up a split page with a Geometry window and slider on one side and our script window for the main window.

Look closely at the code here. We define a function (**drawArray**) that takes as its arguments the current value of **n**, the **x** and **y** coordinates of the starting position, and the length and width of each cell.

You will see that the **drawLine** function takes four

```
function drawArray(number, x, y, length,  
height, gc)
```

```
for k = 0, number do
```

```
    for m = 0, number do
```

```
        gc:drawLine(
```

```
            x,
```

```
            y + height *  
            m,
```

```
            x + length *  
            number,
```

```
            y + height *  
            m)
```

```
        gc:drawLine(
```

```
            x + length *  
            k,
```

```
            y,
```

arguments:
the x and y
coordinates of
start and end
points. We will
use one
variable (m) to
define the
horizontal
lines and the
other (k) for
the vertical
lines. Again,
study the
code provided
to see one
way in which
to achieve
what we
desire.

Once the
function is
defined, we
need to paint
the screen to
actually see it.
here we
choose to
define the
required
variables
within the
on.paint
function.
Hence we
define the
window width
and height,
recall the
current value
of **n** and use it
to calculate
the x and y
coordinates
for the
starting point,
and the width
and length of
the cells. For
the latter
values, we
divide the
window

```
x + length *  
k,  
y + height *  
number)  
end  
end  
end  


---



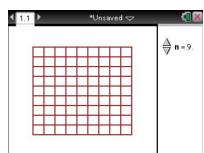
```
function on.paint(gc)
 w = platform.window:width()
 h = platform.window:height()
 num = var.recall("n") or 1
 xval = math.floor(w/(num+4))
 yval = math.floor(h/(num+4))
 x = w/2 - num * xval / 2
 y = h/2 - num * yval / 2

 gc:setPen("thin", "smooth")
 gc:setColorRGB(165,42,42)
 drawArray(num, x, y, xval, yval,
 gc)
end
```


```

dimensions by the value of n (and a little more), then take the lowest integer value. This will ensure that our model always remains within the screen dimensions. Finally, we set the color and the pen values and call our function, **drawArray**.

This produces a dynamic square grid, as required, controlled by the current value of a variable **n** within TI-Nspire.



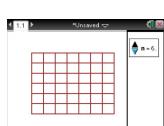
Lesson 9.2: Varying our Grid Pattern

So we have a square grid – we would like to have two variations on this theme: a rectangular grid (with one side one longer

than the other) and a triangular grid. We will control these with a slider variable we will call **type**.

First, the rectangular numbers: essentially the same script as for the square numbers, but with one variable one more than the other.

Recall the value of variable **type** at the start of our **drawArray** function, then use it as the basis of a test: if **type == 1** then (the square routine) **elseif type == 2 then** (rectangles) **else** (triangles) **end.**



The triangle

```
elseif types == 2 then
  for k = 0, number + 1 do
    for m = 0, number do
      gc:drawLine(
        x,
        y + height *
        m,
        x + length *
        (number + 1),
        y + height *
        m)
```

```
gc:drawLine(
  x + length *
  k,
```

follows – the main variation from the two previous forms is that, instead of the second variable running from 0 or 1, it begins at the current value for k, thus indenting each line to form the triangle. In order to close the figure, it was necessary to add an additional line at top and another at the right side – hence the four lines in this script where the others had only two.

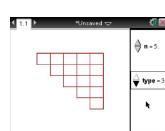
```

..,
y,
x + length *
k,
y + height *
number)

end
end
else
gc:drawLine(x, y, x + length * (number+1) -
length, y )
gc:drawLine(x + length * number, y, x +
length * number, y + height * number)

for k = 1, number do
    for m = k, number do
        gc:drawLine(x
+ length*(m-
1), y + height
* m, x +
length *
number, y +
height * m)
        gc:drawLine(x
+ length * (k-
1), y, x +
length * (k-
1), y + height
* k)
    end
end
end

```



Add the line which defines the variable **types** from **type** and the first condition

(if types
== 1 then)
at the start
of the
function
definition,
and this
script will
deliver the
three
shapes
drawn
using a
grid.

In the final
tutorial in
this series
this script
is further
enhanced
using
circles to
dynamically
build each
of the
patterns,
and our
usual arrow
key
controls
will be
added.